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## Silver Level

## Model Answers 7

| Level | IGCSE |
| :--- | :--- |
| Subject | Maths |
| Exam Board | Edexcel |
| Difficulty Level | Gold |
| Booklet | Model Answers 7 |


| Time Allowed: | 58 minutes |
| :--- | :---: |
| Score: | $/ 48$ |
| Percentage: | $/ 100$ |

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1 Peter and John play two games of badminton against each other.
For each game, the probability that Peter wins is 0.15
(a) Complete the probability tree diagram.

First Game Second Game
Total probability must = 1
Therefore probability Peter does not win first game is 0.85

(b) Calculate the probability that Peter wins both games.

```
Win both games follows the top two branches
Multiply probabilities as they must both happen
0.15 * 0.15 = 0.0225
```


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2 The Venn diagram shows a universal set $\mathscr{E}$ and 3 sets $A, B$ and $C$.

$2,4,7,3,6$ and 10 represent numbers of elements.
Find
(i) $\mathrm{n}(A \cup B)$
(ii) $\mathrm{n}\left(B^{\prime}\right)$
$2+4+7+10$
(iii) $\mathrm{n}\left(A \cap C^{\prime}\right)$
(iv) $\mathrm{n}\left(B^{\prime} \cap C^{\prime}\right)$

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3 The table shows information about the number of letters in the first name of each of 50 people.

| Number of letters | Frequency |
| :---: | :---: |
| 3 | 2 |
| 4 | 5 |
| 5 | 14 |
| 6 | 19 |
| 7 | 10 |

(i) Work out the mean number of letters in the first names of the 50 people.

$$
\begin{aligned}
& \text { Total number of letters =sum of number of letters } \times \text { frequency } \\
& 3 \times 2+4 \times 5+5 \times 14+6 \times 19+7 \times 10=280 \\
& \text { Mean }=\text { total } / \text { frequency }=280 / 50 \\
& =5.6
\end{aligned}
$$

(ii) One more person joins the 50 people.

The mean number of letters in the first names of the 51 people is less than the mean number of letters in the first names of the 50 people.

Write down the greatest number of letters in the first name of the person who joins the group.

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4 The diagram shows three points, $A, B$ and $P$, on a centimetre grid.


The point $A$ has coordinates $(4,5)$ and the point $B$ has coordinates $(2,-1)$.
(a) Find the coordinates of the midpoint of $A B$.

$$
\begin{aligned}
& \text { midpoint of } A B \text {. } \\
& \text { Displacement of } \mathrm{A} \text { to } \mathrm{B}=\mathrm{B}-\mathrm{A}=\binom{2}{-1}-\binom{4}{5}=\binom{2-4}{-1-5}=\binom{-2}{-6} .
\end{aligned}
$$

Midpoint of $A B$ is half $\binom{-2}{-6} \quad\binom{-1}{-3}+\binom{4}{5}$

$$
=\binom{3}{2}
$$

(3, 2)
(2)
$A B$ is a diameter of a circle.
$P$ is the point $(7,6)$
$C$ is the point on the circle such that $P A=P C$.
(b) On the diagram, mark with a cross $(\times)$ the point $C$.

Label your point $C$.

$$
\begin{equation*}
(6,3) \tag{2}
\end{equation*}
$$

(Total for Question is 4 marks)

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5 A shop, Furniture $4 U$, had a sale.
(a) In the sale, normal prices were reduced by $15 \%$.
(i) The normal price of a table was $\$ 280$

Work out the sale price of the table.

Reduction by $15 \%=$ a multiplication by .85 as it is $85 \%$ of the original value

280 *. $85=238$
\$
238
(ii) The normal price of a chair was reduced in the sale by $\$ 24$

Work out the normal price of the chair.

Réduction by 24
Therefore 15\% of the original cost $=24$
Therefore 24/ $15 \%$ = original value
$24 / 0.15=160$
(b) Ruth, Suha and Yasmin went to the sale.

The amounts of money spent by Ruth, Suha and Yasmin were in the ratios $2: 3: 7$
Ruth and Suha spent a total of $\$ 320$ in the sale.
Work out the amount of money Yasmin spent in the sale.

> Ratio is per $2+3+5$ people, so is per every 10 people
> Ruth and suha account for 5 these people
> So $A$ unit value of the ratio is $320 / 5=64$
> So Yasmin spen $64 \times 7=448$

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Diagram NOT
accurately drawn

The diagram shows a pentagon $A B C D E$.
$D C$ is parallel to $A B$.
The size of an exterior angle at $A$ is $67^{\circ}$
The size of an exterior angle at $B$ is $112^{\circ}$
The size of an exterior angle at $C$ is $x^{\circ}$
The size of an exterior angle at $D$ is $74^{\circ}$
The size of an exterior angle at $E$ is $y^{\circ}$
(a) (i) Work out the value of $x$.
$A B$ and $D C$ are parallel
Therefore c and b are ' $Z$ ' angles
So $x=180-112=68$

$$
x=\ldots 8
$$

(ii) Work out the value of $y$.

Total exterior angles on a pentagon add to 360

$$
\begin{aligned}
& Y+67+112+68+74=360 \\
& Y=39
\end{aligned}
$$

$$
y=39
$$

(b) Work out the sum of the interior angles of the pentagon $A B C D E$.

```
Sum of Interior angles = 180 x ( number of sides -2)
Number of sides = 5
Sum of Interior angles = 3 x (180)=540
```


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Diagram NOT
accurately drawn

In the isosceles triangle $A B C$, $A B=A C$
angle $B=(3 x+32)^{\circ}$
angle $C=(87-2 x)^{\circ}$
Work out the value of $x$.
Show clear algebraic working.

```
Angle ABC = angle ACB
3x+32=87-2x
```

Add $2 x$ to both side and subtract 32
$3 x+2 x=87-32$
$5 x=55$
$X=11$

$$
x=\ldots 11
$$

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$8 A=2^{3} \times 3^{2} \times 5^{4}$

$$
B=3^{5} \times 5 \times 7^{3}
$$

Find the Highest Common Factor (HCF) of $A$ and $B$.
Highest common factor is the multiple of the factors shared by both
Both have two factors of 3 and both have one factor of 5
So highest common factor is $3 \times 3 \times 5=45$

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9


Diagram NOT accurately drawn
$A$ and $B$ are points on a circle, centre $O$.
$P A$ is the tangent to the circle at $A$.
$O B P$ is a straight line.
Angle $A P O=26^{\circ}$
Calculate the size of angle $A B P$.

```
Angle OAP = 90, ( angle between tangent and radius is always 90)
    Therefore AOB = 180-90-26=64
    OAB and OBA are both equal (isosceles triangle)
    180 =64 + 2x
    2x=116
    X=58
    ABP + x = 180 ( angles on a straight line)
    ABP = 180-58
    ABP = 122
```


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10 (a) Solve the simultaneous equations

$$
\begin{aligned}
& 5 x+3 y=9 \\
& 7 x-2 y=25
\end{aligned}
$$

Show clear algebraic working.
Multiply equation 1 by 2
$10 x+6 y=18$
Multiply equation 2 by 3
$21 x+-6 y=75$
Add equation 1 and 2
$10 x+21 x+6 y-6 y=75+18$
$31 x=93, x=3$
Sub $x=3$ back into 1
$5(3)+3 y=9$
$\begin{aligned} & 3 \mathrm{~B}=9-15 \\ & 3 \mathrm{y}=-2, \mathrm{y}=-2\end{aligned} \quad x=\ldots$
$3 y=-2, y=-2$
$y=-.2$
(b) $P$ is the point of intersection of the lines with equations $5 x+3 y=9$ and $7 x-2 y=25$ Write down the coordinates of $P$.

(1)
(Total for Question is $\mathbf{5}$ marks)

11 Jomo invested an amount of money at $4 \%$ per annum compound interest.
At the end of 2 years, the value of his investment was $£ 3380$
How much of the $£ 3380$ was interest?
Increase of $4 \%$ is multiplication by 1.04
Original amount $\times 1.04 \times 1.04=$ original amount $\times 1.04^{2}=3380$
$\frac{3380}{1.04^{2}}=$ original amount $=3125$
Intrest $=$ final - initial value $=3380-3125=225$

